All angles must start at the $+x$ axis (to the right) and be measured counterclockwise (up and to the left). Why? Because this is the way your calculator reads angles and we should talk to the calculator in its language.


The $x$ component of this triangle is negative (pointing left). But if you put $30^{\circ}$ into your calculator and use co-

WHY?
Because " $30^{\circ \text { " }}$ to the calculator means $30^{\circ}$ above the $+x$ axis, or the triangle at the right. We have to be this specific.


Notice the directions on the diagram at the left. Each of the angles (A thru H) have a
 size of $20^{\circ}$, but your calculator needs you to be more specific. Ex. Arrow C has a direction which is $20^{\circ}$ greater than $90^{\circ}$. So, we use $90^{\circ}+20^{\circ}=110^{\circ}$. Arrow C has a direction of $110^{\circ}$.

1. Find the direction of the other arrows. (Study Help Available)

| Arrow $\mathrm{A}=$ | Arrow $\mathrm{E}=$ |
| :--- | :--- |
| Arrow $\mathrm{B}=$ | Arrow $\mathrm{F}=$ |
| Arrow $\mathrm{D}=$ | Arrow $\mathrm{G}=$ |

2. For the following, give the correct directions (like on the diagram at the left).

$\theta=$ $\qquad$
B.

$\theta=$ $\qquad$
C.

C.

3. Given x and y on the following triangles, find the hypotenuse's length and direction (find $\theta$ ).
A.

B.


D. Using the x and y components, calculate the direction of the arrow.
4. A ball is thrown horizontally off of a 12 m tall cliff going $15 \mathrm{~m} / \mathrm{s}$. Write each of these answers on the diagram as you answer them.
Since it is thrown horizontally,
A. What is its initial $y$-velocity?
B. What is its initial $x$-velocity?

In the $y$-direction it is in freefall.
C. What is its y-direction acceleration?
D. Since it falls 12 m , what is $\Delta \mathrm{y}$ ?
E. Solve for the time it takes to hit the ground in the $y$-direction.

In the x -direction it is at constant speed.
F. So, what is its $x$-direction acceleration?
G. What is its final $x$-direction velocity?
$H$. What equation can you use in the $x$-direction?
I. Using the time from the $y$-direction, solve for $\Delta x$.
7. An object is thrown from the ground to the ground, as shown on the diagram at the left. $30.6 \mathrm{~m} / \mathrm{s}$ is the initial y velocity. 25.7 is the initial $x$-velocity. Remembering that in the $y$-direction that it is in freefall and that in the $x$-direction it is at constant speed, fill in the variables on the diagram.

