1. Being sure to use correct directions (not just angles). Find the x and y components for the following vectors.

2. Given the following $x$ and $y$ components, calculate the magnitude (hypotenuse) and direction of the vector. (BIG TANGENT HINT: remember to figure out what quadrant your arrow should be in. Add $180^{\circ}$ if necessary.)

3. Use the arrows at the left to answer the following.
A. $\qquad$ * Which arrow has +x and -y components? (which is pointing in the $+x$ and $-y$ directions?)
B. $\qquad$ * Which arrow has -x and +y components?
C. $\qquad$ Which arrow has $+x$ and no $y$ component?
D. $\qquad$ Which arrow/s have no $x$ component?
E. $\qquad$ Which arrow is the negative of A ?
F. $\qquad$ Which arrow $=-B$ ?
G. ___ Which arrow has -x and -y components?

H . What does $\mathrm{A}+\mathrm{D}$ equal? (If you walked the direction of A and then the direction of $D$, what would be your total displacement?)

Still using the A-H arrows as displacement vectors (distances with directions)....
4. A. A strange person (named "Crazy") walks the direction of A, then C, then E, then 2D (D twice). Starting at the point marked "start" draw Crazy's path.
B. A second person, standing at the same starting point, watches Crazy walk his crazy path, but being Lazy, walks to Crazy in a straight line. Use an arrow to show Lazy's path. Label this arrow " $R$ " for the resultant (the result of all of Crazy's path).
5. * Using the same story of Crazy and Lazy above...
A. At the left draw Cray's path: $\mathrm{G}+\mathrm{F}+2 \mathrm{E}-2 \mathrm{~A}$ [opposite of A, twice]. (It's OK if the path crosses, since he's Crazy.)
B. Draw Lazy's path, labeling it " $R$ ".
6. Let me walk you thru the logic of trigonometry one more time, using the $45^{\circ}$ triangle drawn below.
A. Measure the length of the hypotenuse up to the first arrow. This is $\mathrm{H}_{1}$ (hypotenuse 1). Use the obvious number.
B. $\mathrm{X}_{1}$ is the x -component of $\mathrm{H}_{1}$, which ends directly below the end of $\mathrm{H}_{1}$. Measure the length of $\mathrm{x}_{1}$.
C. Calculate the ratio of $x_{1}$ to $\mathrm{H}_{1}$ :

$$
\frac{x_{1}}{H_{1}}=
$$

D. Realizing that as a $45^{\circ}$ triangle, $\mathrm{x}_{1}=\mathrm{y}_{2}$, calculate the ratio of $\mathrm{y}_{1}$ to $\mathrm{H}_{1}$ :
$\frac{y_{1}}{H_{1}}=$
E. Measure $\mathrm{H}_{2}$ (end of the meter stick [oops, I gave it away]).
F. Measure $x_{2}$ (and, therefore $y_{2}$ ).
G. Calculate the following ratios:
$\frac{x_{2}}{H_{2}}=$
$\frac{y_{2}}{H_{2}}=$
H. What do you notice?
I. Being sure your calculator is in degrees, give the following:


