1.     * If $\mathrm{A}=22$ at $215^{\circ}$, then $-3 \mathrm{~A}=$
2.     * If $\mathrm{B}=18$ at $112^{\circ}$, then $-5 \mathrm{~B}=$
3. If $\mathrm{C}=21$ at $312^{\circ}$, then $-2 \mathrm{C}=$
4. If $\mathrm{D}=21$ at $65^{\circ}$, then $-6 \mathrm{D}=$
5.     * A person walks 25 m west, then 18 m south. What is their total displacement? (Vectors always includes magnitude and direction; and double check your quadrant.)
6.     * A person walks 5 m east, then 10 m south, then 12 m west, then 3 m north. After calculating $\mathrm{x}_{\text {total }}$ and $\mathrm{y}_{\text {total }}$, calculate the person's total displacement. (Always!) (And, again, double check your quadrant.)
7.     * A projectile is shot going $145 \mathrm{~m} / \mathrm{s}$ at an angle of $35^{\circ}$, what is the projectile's initial x and y velocities? (You have a vector with magnitude and direction. Calculate its $x$ and $y$ components.)
8.     * A polar bear walks $3.5 \mathrm{~km} / \mathrm{hr}$ along the frozen ice at $85^{\circ}$ for 3.2 hours.
A. Calculate how far the polar bear walked.
B. Now that you have a distance and an angle, calculate the polar bear's x and y displacement from its initial position.
9. A group of penguins is waddling $1.6 \mathrm{~km} / \mathrm{hr}$ at $65^{\circ}$ for 15 hours. Calculate how far they went in the x and y directions. (Challenge: how long does it take to reach the polar bear?*)
10.     * Add the two vectors together shown below. (Follow the "Adding Vector" notes exactly).

Let's start by drawing the components, so you can see what you are calculating.
A. From the end (pointed side) of each arrow, draw a vertical dashed line straight down.
B. From the start (non-pointed side) of each arrow, draw a horizontal line until it intersects with the vertical line you just drew.

You should now have two right triangles.
C. Calculate the x and y components of each triangle.

| $\mathrm{x}_{1}=$ | $\mathrm{y}_{1}=$ |
| :--- | :--- |
| $\mathrm{x}_{2}=$ | $\mathrm{y}_{2}=$ |

D. Calculate the total vertical and horizontal displacements.
$\mathrm{x}_{\text {total }}=\quad \mathrm{y}_{\text {total }}=$
E. You now have the sides of a large right triangle made up of $x_{\text {total }}$ and $y_{\text {total }}$, calculate the total displacement's magnitude (hypo) and direction ( $\theta$ ).

Q1-3A $=66$ at $35^{\circ}$. Q2. $-5 \mathrm{~B}=90$ at $292 \quad$ Q5) 30.8 m at $215.8^{\circ}$. Has to be in the 3 rd Q .
Q6) $\mathrm{x}_{\text {total }}=-7 \mathrm{~m} \quad \mathrm{y}_{\text {total }}=-7 \mathrm{~m} \quad \mathrm{D}=9.9 \mathrm{~m}$ (hyp) $\quad \theta=225^{\circ}$ (again, in the 3rd Q)
Q7) Vx is $\cos =118.8 \mathrm{~m} / \mathrm{s} \quad$ Vy is $\sin =83.2 \mathrm{~m} / \mathrm{s}$
Q8 D $=(3.5 \mathrm{~km} / \mathrm{hr}) 3.2 \mathrm{hr}=11.2 \mathrm{~km}$ at $85^{\circ} . \mathrm{x}=11.2 \cos 85^{\circ}=.976 \mathrm{~km}$
(so small because D is almost vertical); $\mathrm{y}=11.2 \sin 85^{\circ}=11.16 \mathrm{~km}$.
(Q9 challenge: never. Penguins live at the s pole; polar bears in the north, except in Coke commercials.
Q10 $\quad x_{1}=106.9 \mathrm{~m} \quad y_{1}=49.9 m ; x_{2}=-63.4 \mathrm{~m} \quad y_{2}=136 \mathrm{~m}_{\text {total }}=43.6 \mathrm{~m}_{\text {total }}=185.8 \mathrm{~m} ; \quad$ Displacement total $=190.9 \mathrm{~m}$ at $76.8^{\circ}$.

