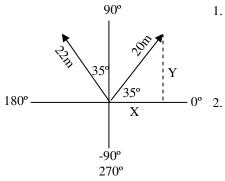
PreAP Linear Motion 13

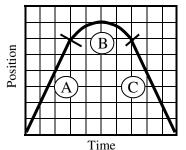


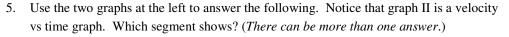
* Use the 20m long arrow to answer the following. We start by drawing a vertical line from the tip of the arrow to the x-axis to create a right triangle. Find the x and y components of the 20 m long arrow (*find x and y if 20 m is the hypotenuse*).

* A. Remembering that all angles need to be measured counterclockwise from the positive x-axis, what is the correct direction for the 22 m arrow?
* B. Use the angle from the x-axis to calculate the x and y components, using the same equations that you used in Q1.

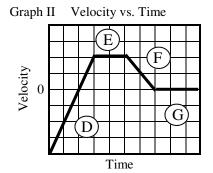
- 3. * A 2 kg rock is tossed straight up into the air. It goes 12 m. How fast was it thrown? (*You have enough info. Your freefall notes can help.*)
- 4. A 45 kg soapbox car starts at rest and rolls 85 m downhill in 6.4 seconds. What is the soapbox car's acceleration?

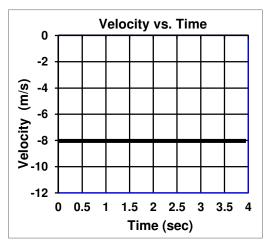
Graph I Position vs. Time

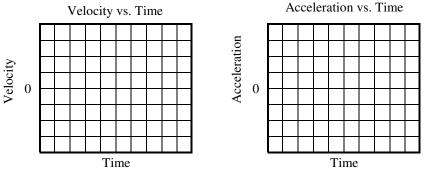




- A) at rest?E) -v?B) $+ \Delta v$?F) $\Delta x = 0$?C) $-\Delta x$?G) + a?D) + v?H) a?
- 6. Translate Graph I to the velocity and acceleration graphs below.







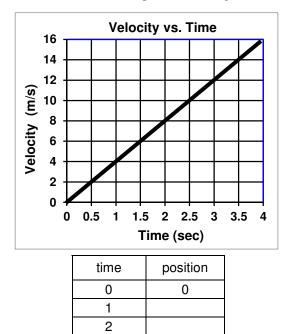
- 7. An object is travelling 8 m/s to the left for 4 seconds.
 - A. Remembering that left is negative, what is was the object's displacement?

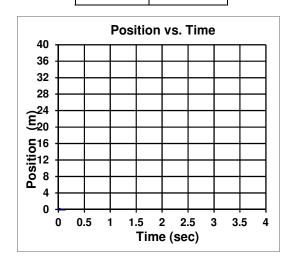
You should have gotten -32 m.

B. Now calculate the area of the graph at the right. Notice that the line is BELOW the x-axis.

So, once again, area equals displacement and AREA CAN BE NEGATIVE! (If below the x-axis.)

8. But what if the shape is not a straight line? Let's use the velocity vs time graph at the left to find out.





3

4

- A. At 0 seconds the object is moving _____ m/s. After 1 second it is moving _____ m/s. After 2 seconds it is moving _____ m/s. After 3 seconds it is moving _____ m/s.
- B. So, obviously, it is gaining _____ m/s of velocity every second OR its acceleration is:

You should have found that the acceleration is 4 m/s^2 (also the slope of the line). Also, notice that the sloped line makes a triangle with the x-axis.

C. With a kinematic equation, calculate the displacement of the object from 0 to 1 seconds.

You should have that it moved 2 m. Record it in the table.

D. Draw a straight line from 1 second up to the line, making a small triangle. Remembering that the area of a triangle = $\frac{1}{2}(Base)(Height)$, calculate the area of the triangle.

Hmmmm. So the area of the triangle equaled the displacement of the object. [What about units? (Base)Height = sec(m/sec) = meters or displacement]

- E. With a kinematic equation, calculate the displacement of the object from 0 to 2 seconds.
- F. Calculate the area of the triangle drawn straight up from 2 seconds.

And once again it works. Record it in the table.

- G. Calculate the displacement of the object at 3 seconds and 4 seconds. Use the areas of the triangles. *Record them in the table.*
- H. Draw these positions on the Position vs Time graph. For ease, let's assume the object started at 0 m. Just draw dots. The shape will be obvious after.

1A) $y = 20\sin 35^\circ = 11.5 \text{ m}$ find x on your own.

- 2A) θ is greater than 90°, so $\theta = 90^{\circ} + 35^{\circ} = 125^{\circ}$
- 2B) $y = 22sin125^{\circ} = 18 m$, find x.
- 3) Did you see that Vf = 0 m/s (at the top)? Use the $V_f^2 = V_i^2$... formula to get Vi = 15.3 m/s
- 4) $a = 4.15 \text{ m/s}^2$